

# Dimensionality influence on passive scalar transport

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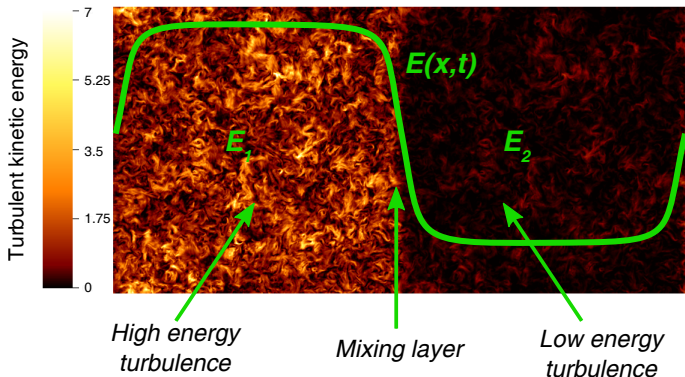
# Passive scalar

## Basic phenomenology

- A passive scalar is a contaminant present in so low concentration that it has no dynamical effect on the fluid motion,
- Turbulence transports the scalar by making particles follow chaotic trajectories and disperses the scalar concentration if exists scalar concentration gradient.
- Fluctuations reach the smaller scales.

# Turbulent shearless mixing

General flow configuration:



periodic boundary condition  $\Rightarrow$  2 mixing layers



## Main features of mixing layers

Shearless mixing layers shows the following properties:

- no gradient of mean velocity, thus no kinetic energy production
- the mixing is generated by the inhomogeneity in the turbulent kinetic energy and integral scale
- the mixing layer becomes very intermittent at both large and small scales
- the presence of a gradient of energy is a sufficient condition for the onset of intermittency [Tordella and Iovieno (2006); Tordella et al. (2008)]
- 2D and 3D mixings: different asymptotic layer thickness growth exponent



# Passive scalar transport

We solve the passive scalar advection-diffusion equation

$$\frac{\partial \vartheta}{\partial t} + u_j \frac{\partial \vartheta}{\partial x_j} = \frac{(-1)^{n+1}}{Re Sc} \nabla^{2n} \vartheta$$

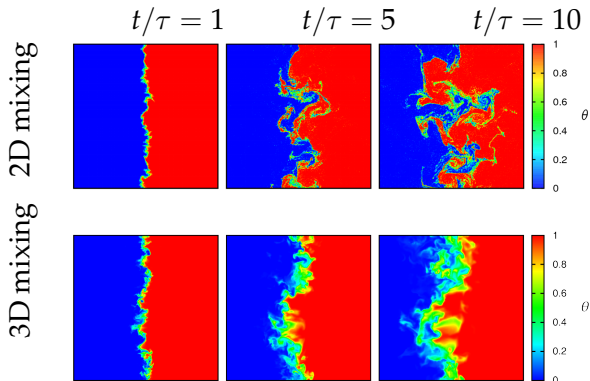
for the shearless mixing configuration.

DNS simulations have been performed at  $Re_\lambda = 150$  in 3D turbulence ( $600^2 \times 1200$  grid points,  $n = 1$ ) and  $Re_\lambda = 60$  in 2D turbulence ( $1024^2$  grid points,  $n = 2$ ).

Assume Schmidt number  $Sc = 1$

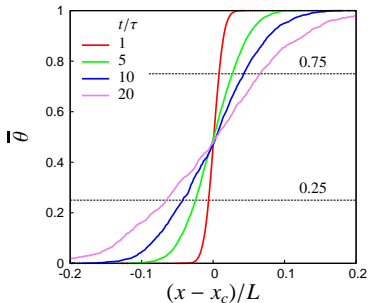


# Visualizations of the mixing layer

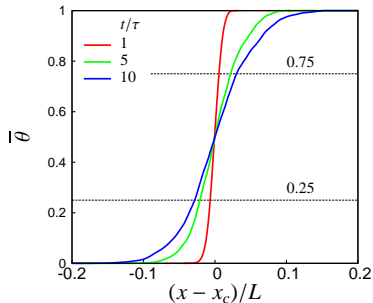


# Mean Scalar Diffusion

## 3D Mixing



## 2D Mixing

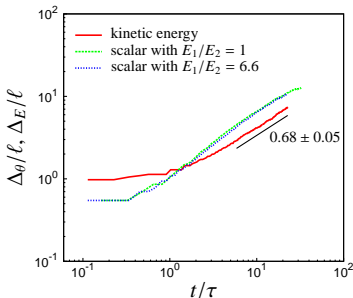


Energy ratio  $E_1/E_2 = 6.7$

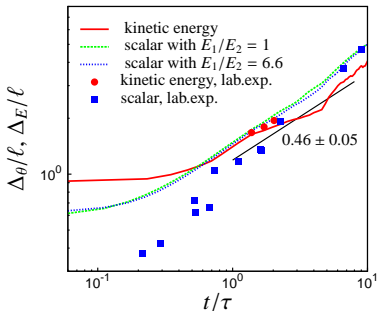


# Scalar mixing layer thickness

## 3D Mixing



## 2D Mixing



Scalar layer thickness:  $\Delta_{\vartheta} = x_{\vartheta=0.75} - x_{\vartheta=0.25}$

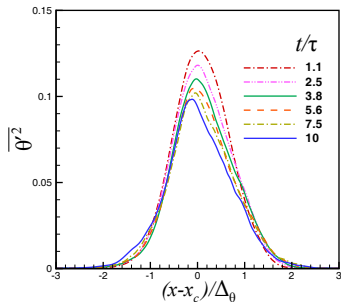
3D mixing:  $\Delta_{\vartheta} \sim t^{0.45}$ , 2D mixing:  $\Delta_{\vartheta} \sim t^{0.7}$



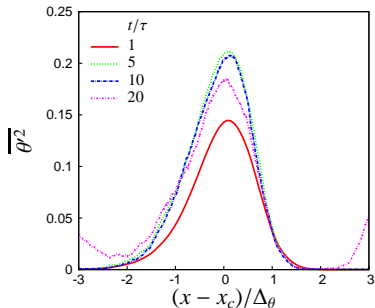


# Scalar variance

## 3D Mixing



## 2D Mixing

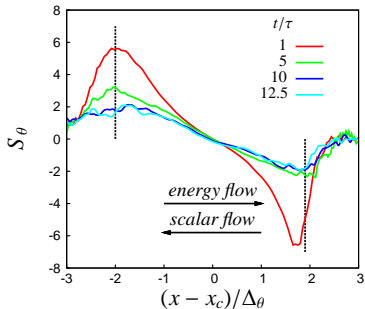


Self-similar distribution, peak shifted toward the high kinetic energy region

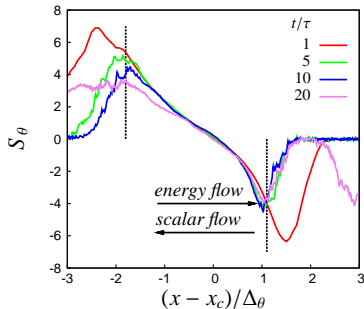


# Scalar skewness

## 3D Mixing



## 2D Mixing



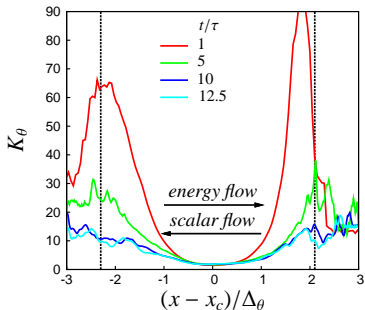
Strong non-gaussian statistic at the mixing layer border

2D: intermittency penetrates more in the direction opposite to the energy gradient.

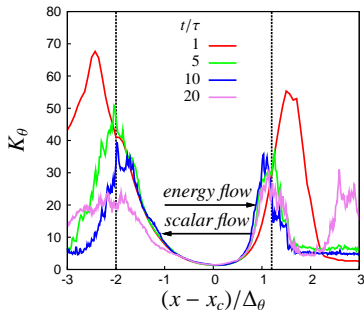


# Scalar kurtosis

## 3D Mixing



## 2D Mixing



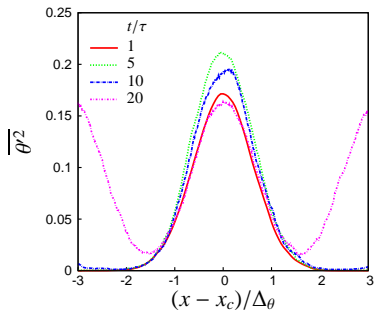
2D: higher asymmetry, wider intermittent region

Intermittency gradually reduces as the mixing proceeds

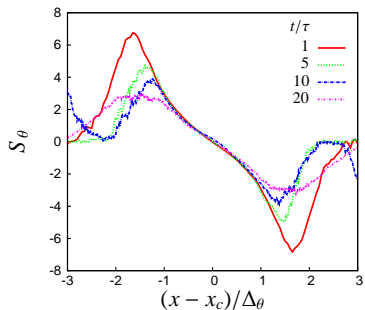


# No energy gradient 2D mixing - numerical validation

## Scalar variance



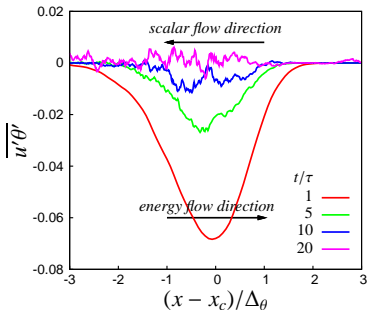
## Scalar skewness



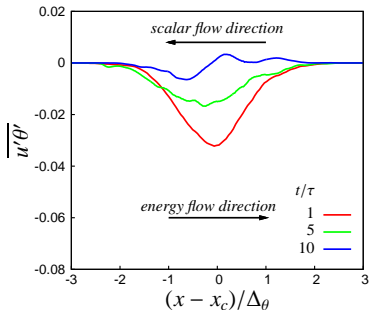
No energy gradient  $\Rightarrow$  no asymmetry

# Scalar flux

## 3D Mixing



## 2D Mixing

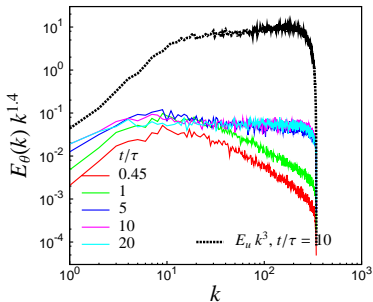


$$\overline{u'\vartheta'} \sim 1/\Delta_\vartheta(t)$$

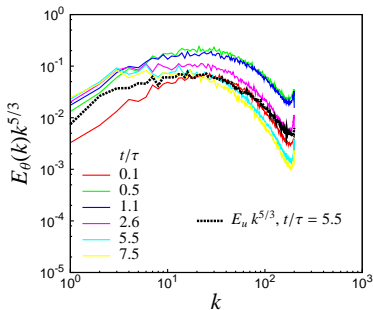


# Spectra in the mixing layer

## 3D Mixing



## 2D Mixing



Compensated scalar and velocity one-dimensional spectra in the same position



## Conclusions

2D/3D Passive scalar diffusion across an energy step:

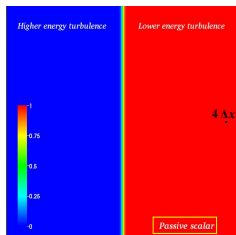
- all moments profiles are skewed towards the higher kinetic energy region
- self-similar profiles of first and second order moments
- large intermittency and non-gaussian behaviour on both sides of the mixing, even where the scalar flux is small.
- larger asymmetry in moment distributions in 2D mixing
- 2D: no stretching, inverse cascade, long-range interaction which penetrate more against the energy gradient



# Scheme of the flow

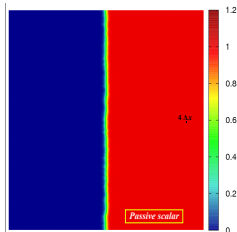
Passive scalar

*3D Mixing*  
( $600^2 \times 1200$  grid)



Run 3D Movie

*2D Mixing*  
( $1024^2$  grid)



Run 2D Movie

